

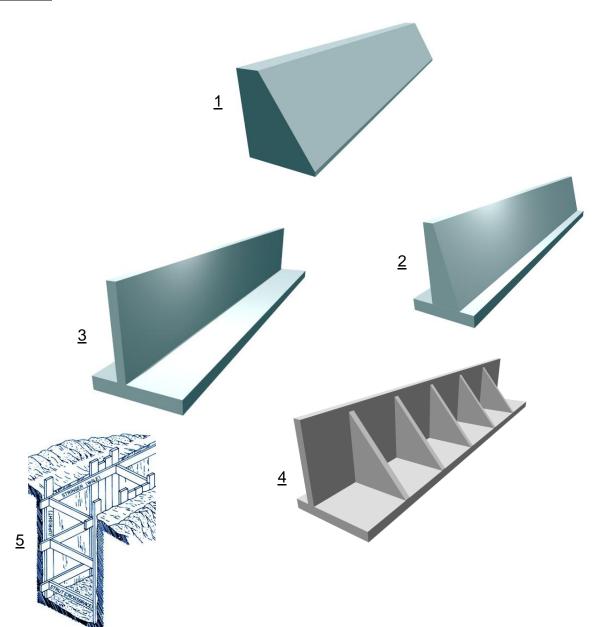
Types of Earth Retaining Walls

I- Permanent Walls

II- Temporary Walls

I- Permanent Walls

- 1- Gravity Wall
- 2- Semi-gravity wall
- 3- Cantilever wall
- 4- Counterfort wall
- → 5- Sheet pile wall & Braced cuts

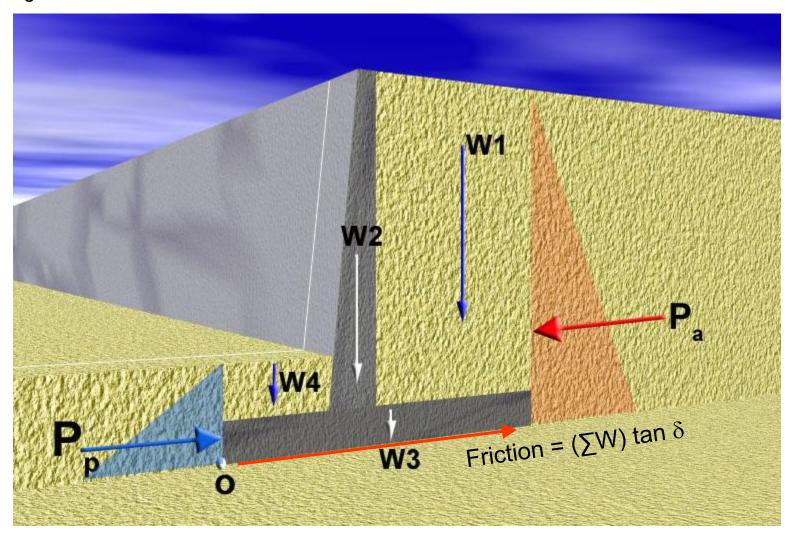


Design of Retaining Wall

1- External Stability 2- Internal Stability 2 1. External Stability 1- Sliding 2- Overturning 3- Settlement 4- Overall Failure 3

I. External Stability 1- Sliding

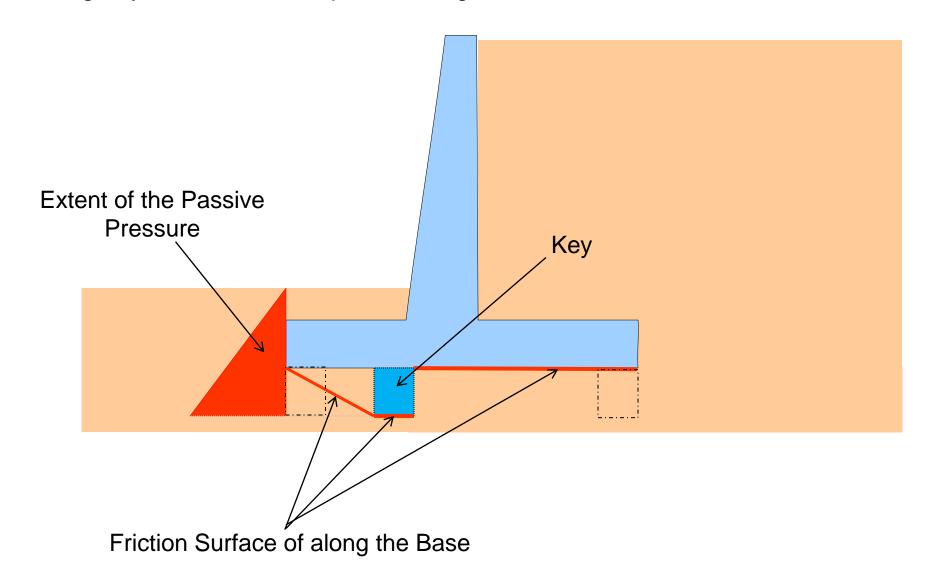
Factor of Safety Against Sliding =
$$\frac{\text{Resisting Force}}{\text{Driving Force}} = \frac{F_R}{F_D}$$



$$F_D = P_a$$

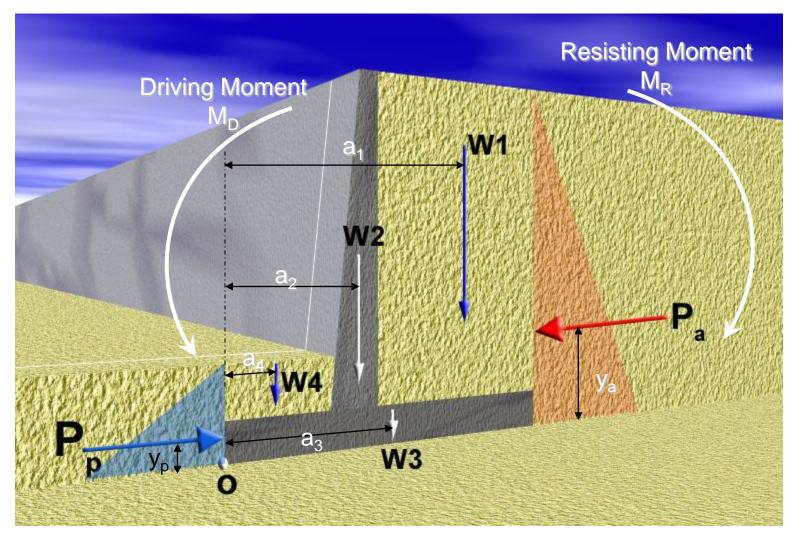
$$F_R = P_p + Friction$$

Using Key at the Base to Improve Sliding Resistance



I. External Stability 2- Overturning

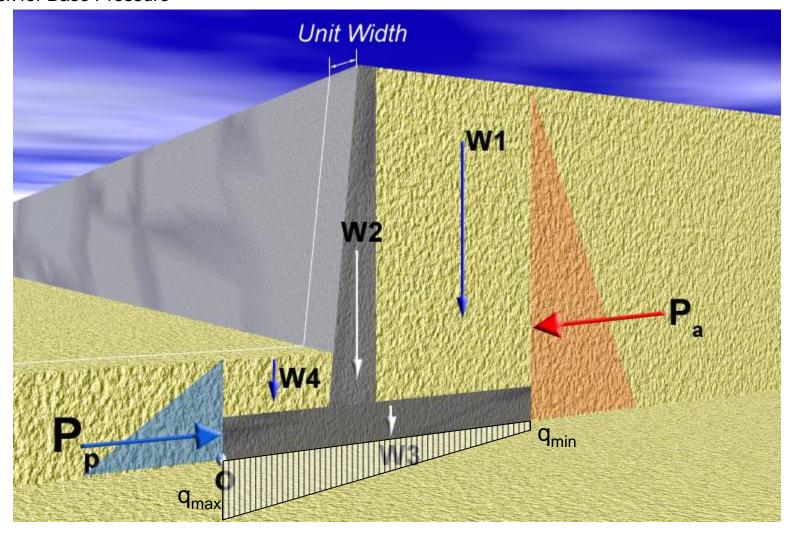
Factor of Safety Against Sliding =
$$\frac{\text{Resisting Moment}}{\text{Driving Moment}} = \frac{M_R}{M_D}$$



Moment About o

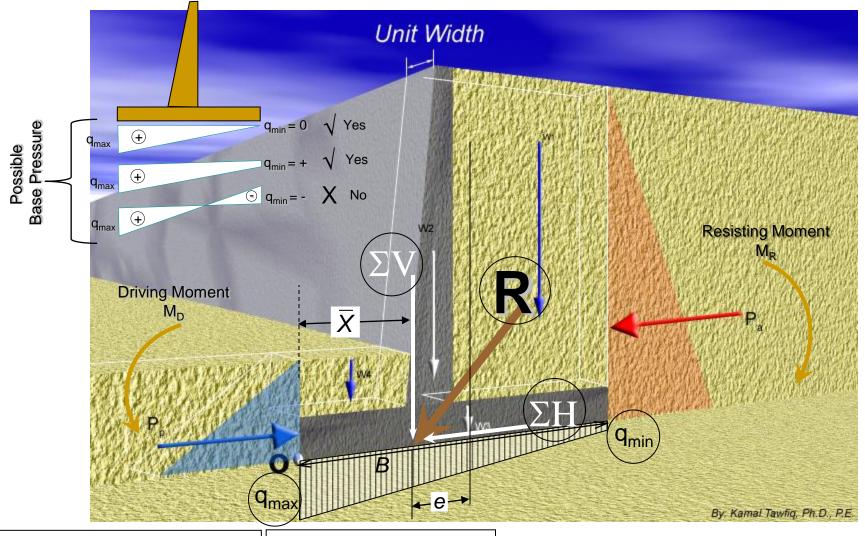
 $M_D = P_a \cdot y_a$ $M_R = P_p \cdot y_p + W_1 a_1 + W_2 a_2 + W_3 a_3 + W_4 a_4$

I. External Stability3- Check for Base Pressure



 q_{all}

 \mathbf{q}_{max}



 $\Sigma V = \text{sum of all vertical loads}$ $\Sigma H = \text{sum of all horizontal loads}$

$$R = \sqrt{(\Sigma V)^2 + (\Sigma H)^2}$$

$$M_{\text{net}} = \Sigma M_{\text{R}} - \Sigma M_{\text{D}}$$

$$\overline{X} = \frac{M_{\text{net}}}{\Sigma V}$$

$$e = \frac{B}{2} - \overline{X}$$

$$\Sigma V \cdot M_{net}$$

$$q = \frac{\sum V}{A} \pm \frac{M_{\text{net}} y}{I}$$

$$q_{\text{max} \atop \text{min}} = \frac{\sum V}{B} \left(1 \pm \frac{6e}{B}\right)$$

Retaining Wall Design

Internal Stability

By

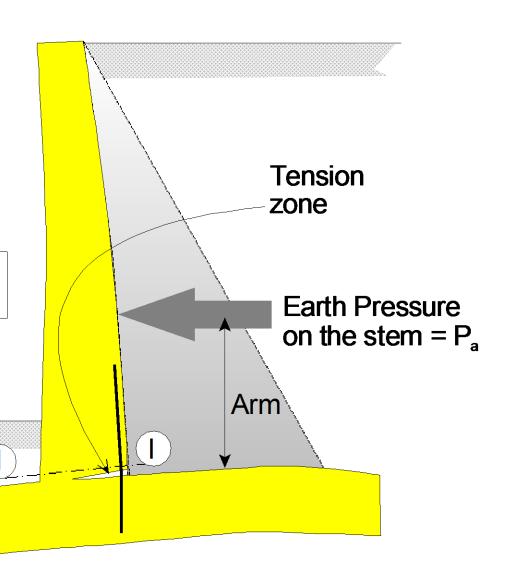
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Internal Stability

Section I-I

The earth pressure on the stem will cause moment at section I-I

 $Moment_{I-I} = P_a$. arm

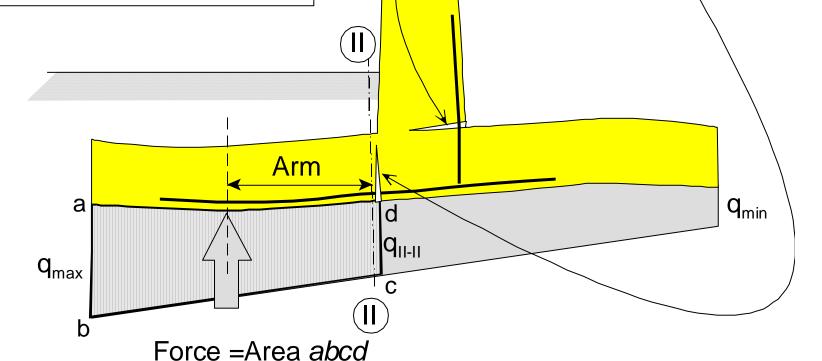


Internal Stability

Section II-II

The bearing pressure on the footing will cause moment at section II-II

 $Moment_{||\cdot||} = Force . arm$



Tension

zones

Internal Stability

Section III-III

The bearing eressure on the stem will cause moment at section III - III

 $\mathbf{q}_{\mathsf{max}}$

 $Moment_{II-II} = Net Force . arm$

