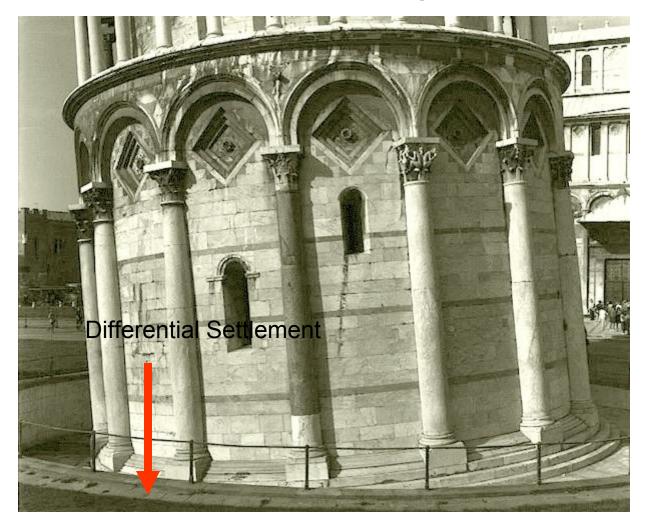
# **Foundation Design**



# Structural Foundations are grouped into two main groups.

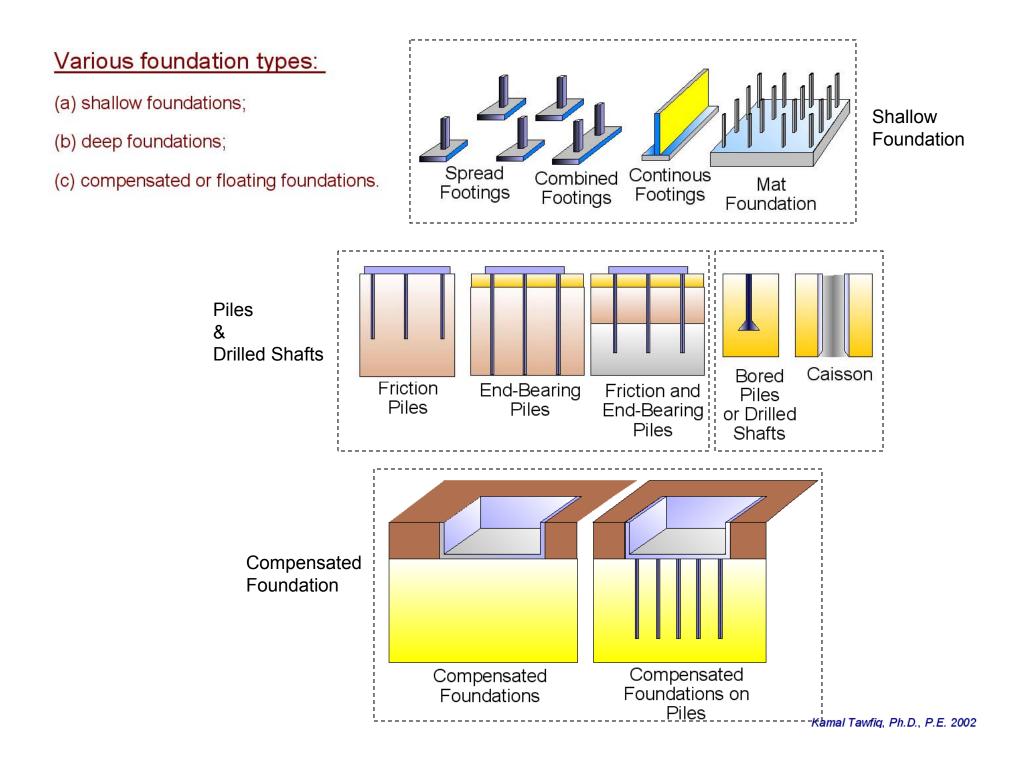
### 1- Shallow Foundation

- Spread Footings
- Continuous Footings
- Combined Footings
- Mat Foundation

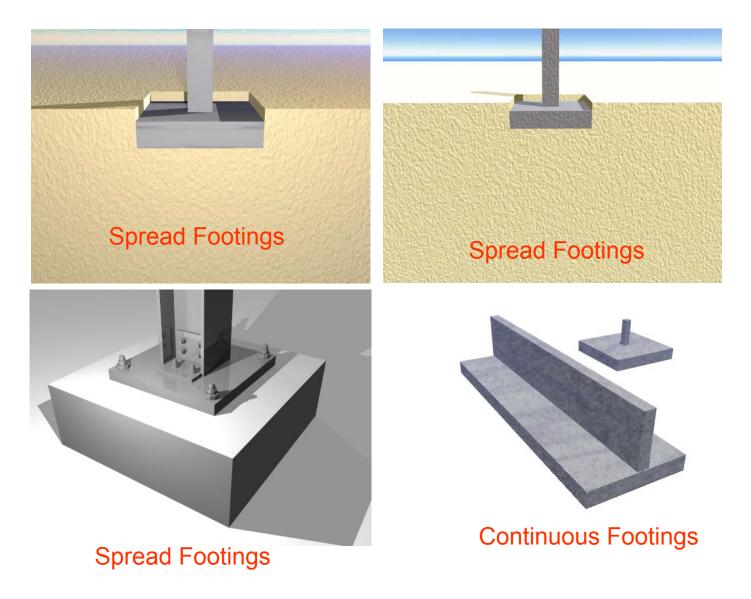
# 2- Deep Foundation

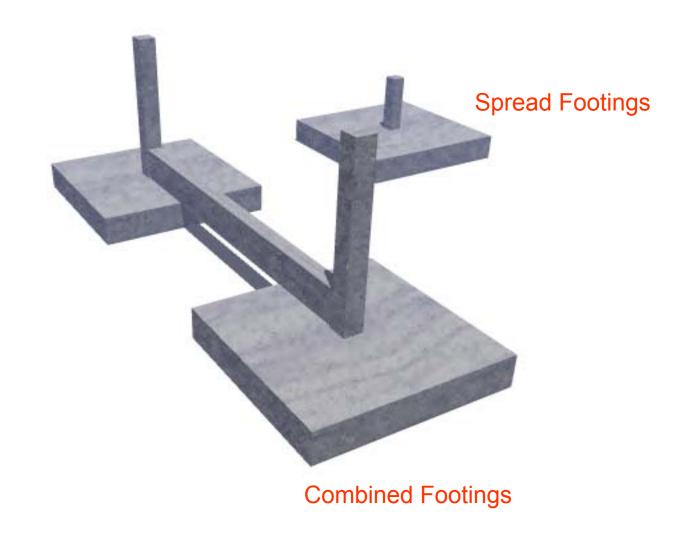
- Driven Piles
- Drilled Shaft
- Auger Cat Piles

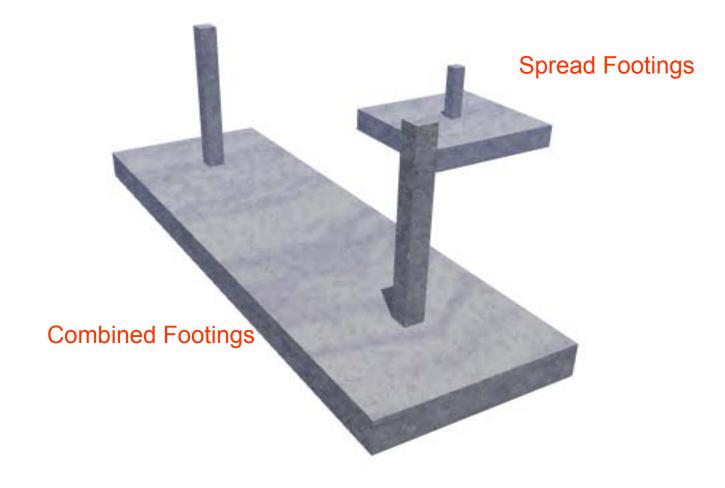
3- Compensated or floating foundations

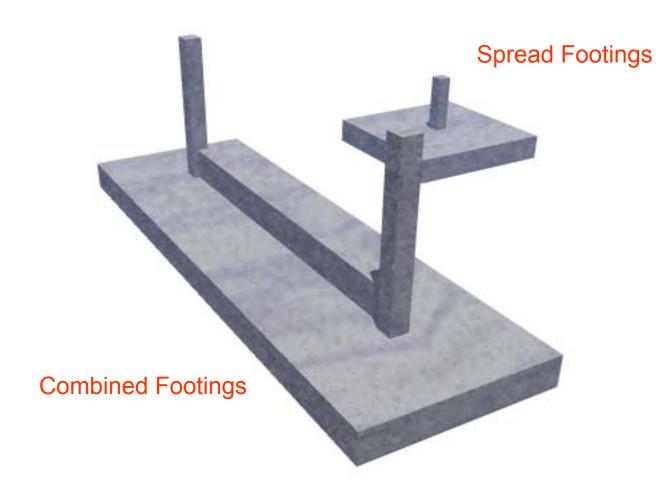


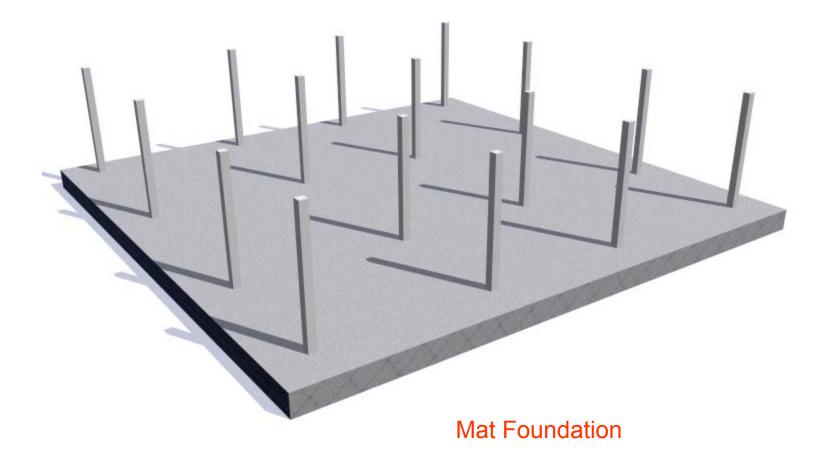
### Shallow Foundation

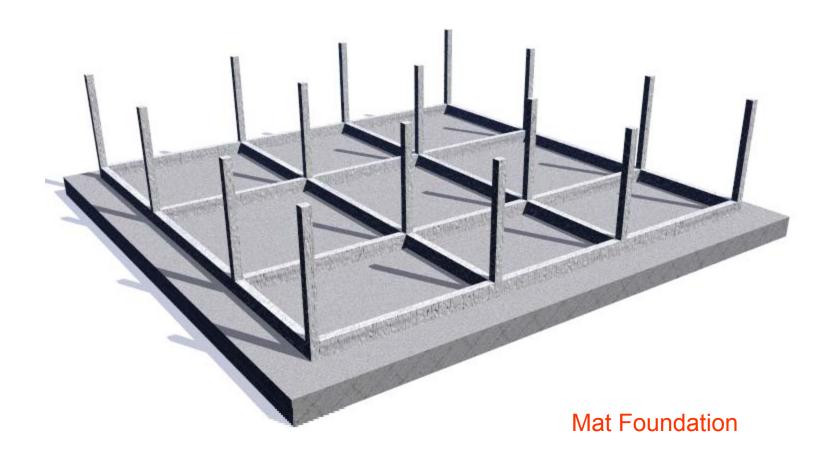




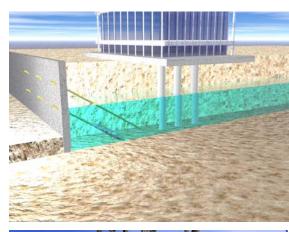


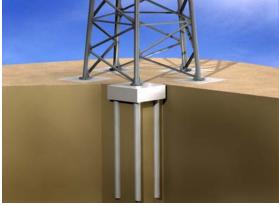


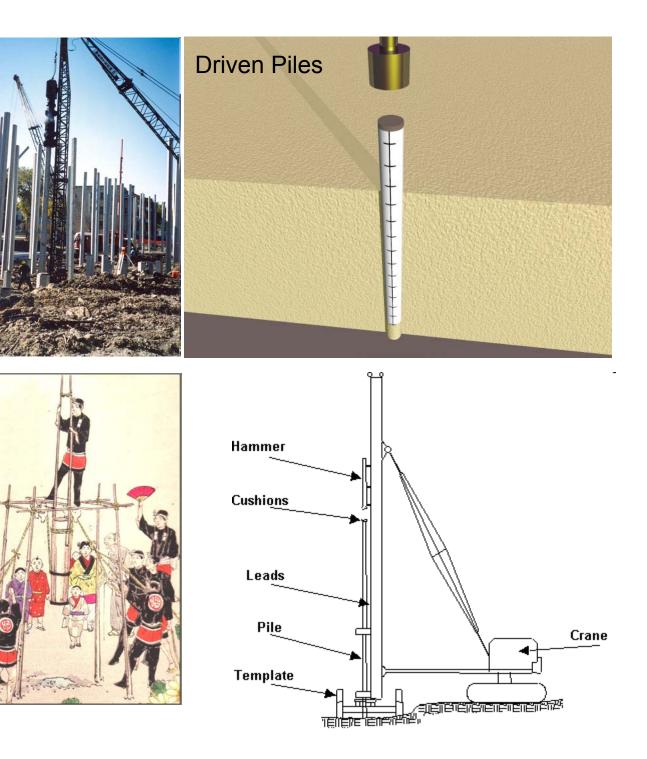




# **Deep Foundation**







### **Drilled Shafts**

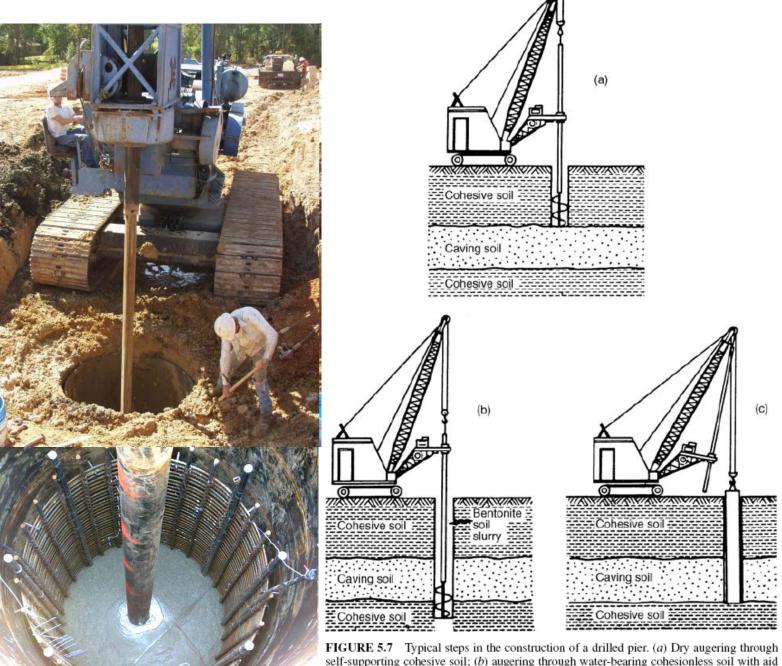


FIGURE 5.7 Typical steps in the construction of a drilled pier. (*a*) Dry augering through self-supporting cohesive soil; (*b*) augering through water-bearing cohesionless soil with aid of slurry; (*c*) setting the casing; (*d*) dry augering into cohesive soil after sealing; (*e*) forming a bell. (*After O'Neill and Reese 1970; reproduced from Peck, Hanson, and Thornburn 1974.*)

# **Auger Cast Pile**

How Auger-Cast Piles are Installed



First the auger drills deep into the ground.

Then as the auger is brought back up, concrete flows out from its tip, filling the hole with concrete. To stabilize the top of the hole, a tube is placed in it and soil packed around it.



One last push to get the steel all the way in.

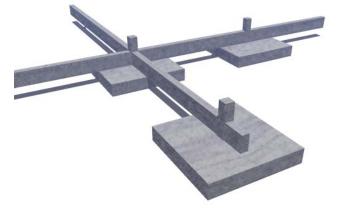




A steel rebar cage is lowered into the hole. The steel is guided all the way down the hole.

# **Analysis and Design of Shallow Foundation**

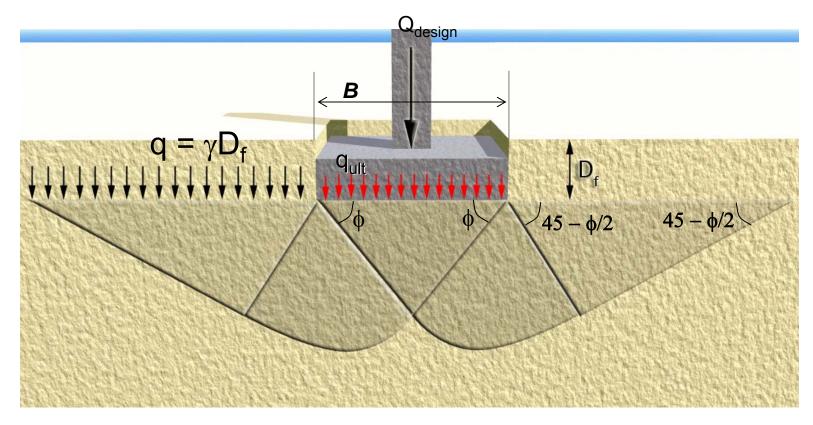
- I- Bearing Capacity
- **II-** Settlement



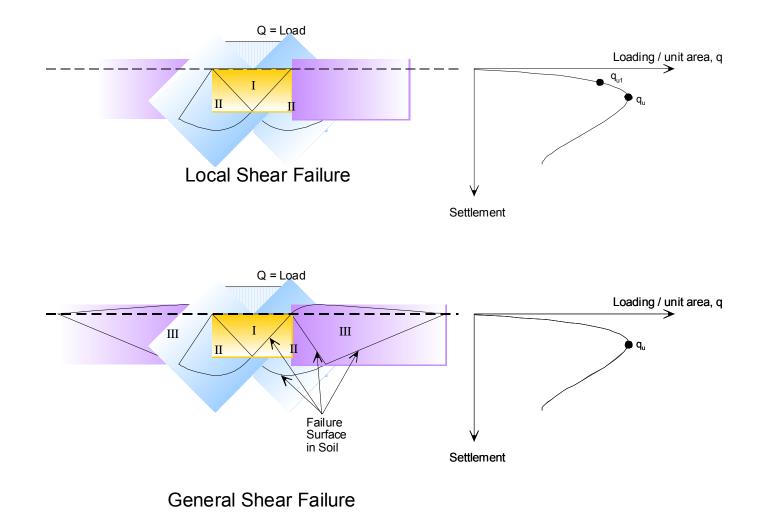
### **I- ULTIMATE BEARING CAPACITY THEORIES:**

- TERZAGHI'S BEARING CAPACITY THEORY
- GENERAL BEARING CAPACITY EQUATION

#### TERZAGHI'S BEARING CAPACITY THEORY



#### TERZAGHI'S BEARING CAPACITY THEORY



TERZAGHI'S BEARING CAPACITY THEORY

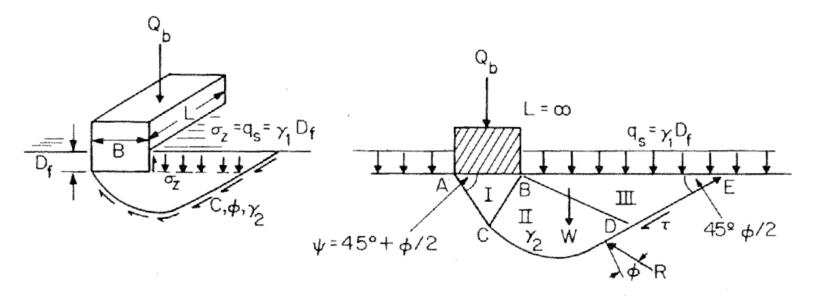
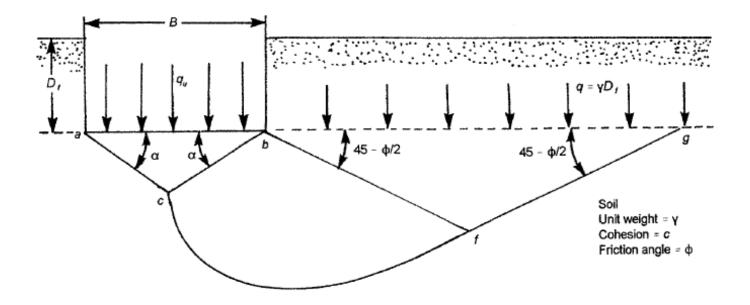


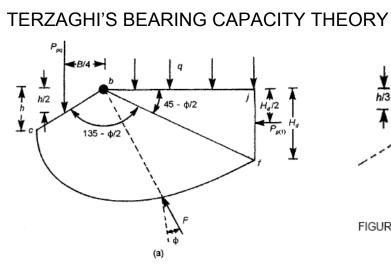
FIG. 6.28 The problem of the bearing capacity of shallow foundations failing in general shear with parameters c and  $\phi$ . Boundaries are simplified. I = active Rankine zone; II = Prandtl zone; III = passive Rankine zone.

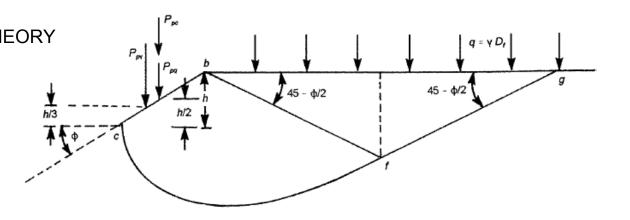
### **I- ULTIMATE BEARING CAPACITY THEORIES:**

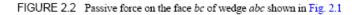
# **1- TERZAGHI'S BEARING CAPACITY THEORY**



Failure surface in soil at ultimate load for a continuous rough rigid foundation as assumed by Terzaghi







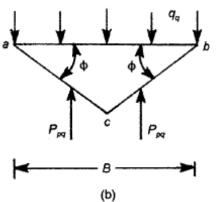
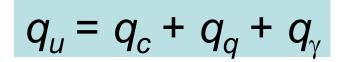


FIGURE 2.3 Determination of  $P_{pq}$  ( $\phi \neq 0, \gamma = 0, q \neq 0, c = 0$ )



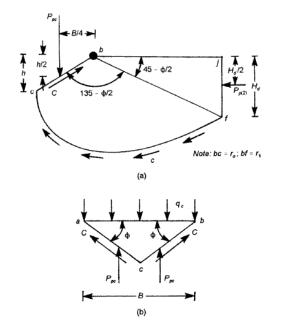


FIGURE 2.4 Determination of  $P_{pc}$  ( $\phi \neq 0, \gamma = 0, q = 0, c \neq 0$ )

## **Ultimate Bearing Capacity**

$$q_u = q_c + q_q + q_\gamma$$

$$q_u = cN_c + qN_q + \frac{1}{2}\gamma BN_\gamma$$

where  $N_c$ ,  $N_q$ , and  $N_\gamma$  = bearing capacity factors, and

$$N_q = \frac{e^{2\left(\frac{3\pi}{4} - \frac{\phi}{2}\right)\tan\phi}}{2\cos^2\left(45 + \frac{\phi}{2}\right)}$$

$$N_c = \cot\phi(N_q - 1)$$

$$N_{\gamma} = \frac{1}{2} K_{p\gamma} \tan^2 \phi - \frac{\tan \phi}{2}$$

TABLE 2.1 Terzaghi's Bearing Capacity Factors—Eqs. (2.32), (2.33), and (2.34)

φ	$N_c$	$N_q$	Nγ	φ	$N_c$	$N_q$	$N_{\gamma}$	φ	$N_c$	$N_q$	$N_{\gamma}$
0	5.70	1.00	0.00	17	14.60	5.45	2.18	34	52.64	36.50	38.04
1	6.00	1.1	0.01	18	15.12	6.04	2.59	35	57.75	41.44	45.41
2	6.30	1.22	0.04	19	16.57	6.70	3.07	36	63.53	47.16	54.36
3	6.62	1.35	0.06	20	17.69	7.44	3.64	37	70.01	53.80	65.27
4	6.97	1.49	0.10	21	18.92	8.26	4.31	38	77.50	61.55	78.61
5	7.34	1.64	0.14	22	20.27	9.19	5.09	39	85.97	70.61	95.03
6	7.73	1.81	0.20	23	21.75	10.23	6.00	40	95.66	81.27	115.31
7	8.15	2.00	0.27	24	23.36	11.40	7.08	41	106.81	93.85	140.51
8	8.60	2.21	0.35	25	25.13	12.72	8.34	42	119.67	108.75	171.99
9	9.09	2.44	0.44	26	27.09	14.21	9.84	43	134.58	126.50	211.56
10	9.61	2.69	0.56	27	29.24	15.90	11.60	44	151.95	147.74	261.60
11	10.16	2.98	0.69	28	31.61	17.81	13.70	45	172.28	173.28	325.34
12	10.76	3.29	0.85	29	34.24	19.98	16.18	46	196.22	204.19	407.11
13	11.41	3.63	1.04	30	37.16	22.46	19.13	47	224.55	241.80	512.84
14	12.11	4.02	1.26	31	40.41	25.28	22.65	48	258.28	287.85	650.87
15	12.86	4.45	1.52	32	44.04	28.52	26.87	49	298.71	344.63	831.99
16	13.68	4.92	1.82	33	48.09	32.23	31.94	50	347.50	415.14	1072.80

φ	$N_c$	$N_q$	Nγ	ф	$N_c$	$N_q$	$N_{\gamma}$	ф	$N_c$	$N_q$	$N_{\gamma}$
0	5.70	1.00	0.00	17	14.60	5.45	2.18	34	52.64	36.50	38.04
1	6.00	1.1	0.01	18	15.12	6.04	2.59	35	57.75	41.44	45.41
2	6.30	1.22	0.04	19	16.57	6.70	3.07	36	63.53	47.16	54.36
3	6.62	1.35	0.06	20	17.69	7.44	3.64	37	70.01	53.80	65.27
4	6.97	1.49	0.10	21	18.92	8.26	4.31	38	77.50	61.55	78.61
5	7.34	1.64	0.14	22	20.27	9.19	5.09	39	85.97	70.61	95.03
6	7.73	1.81	0.20	23	21.75	10.23	6.00	40	95.66	81.27	115.31
7	8.15	2.00	0.27	24	23.36	11.40	7.08	41	106.81	93.85	140.51
8	8.60	2.21	0.35	25	25.13	12.72	8.34	42	119.67	108.75	171.99
- 9	9.09	2.44	0.44	26	27.09	14.21	9.84	43	134.58	126.50	211.56
10	9.61	2.69	0.56	27	29.24	15.90	11.60	44	151.95	147.74	261.60
11	10.16	2.98	0.69	28	31.61	17.81	13.70	45	172.28	173.28	325.34
12	10.76	3.29	0.85	29	34.24	19.98	16.18	46	196.22	204.19	407.11
13	11.41	3.63	1.04	30	37.16	22.46	19.13	47	224.55	241.80	512.84
14	12.11	4.02	1.26	31	40.41	25.28	22.65	48	258.28	287.85	650.87
15	12.86	4.45	1.52	32	44.04	28.52	26.87	49	298.71	344.63	831.99
16	13.68	4.92	1.82	33	48.09	32.23	31.94	50	347.50	415.14	1072.80

**TABLE 2.1** Terzaghi's Bearing Capacity Factors—Eqs. (2.32), (2.33), and (2.34)

## **1- TERZAGHI'S BEARING CAPACITY THEORY**

$$q_u = cN_c + qN_q + \frac{1}{2}\gamma BN_q$$

 $q_u = 1.3cN_c + qN_q + 0.4\gamma BN_{\gamma}$  (square foundation; plan  $B \times B$ )

 $q_u = 1.3cN_c + qN_q + 0.3\gamma BN_{\gamma}$  (circular foundation; plan  $B \times B$ )

### EFFECT OF WATER TABLE

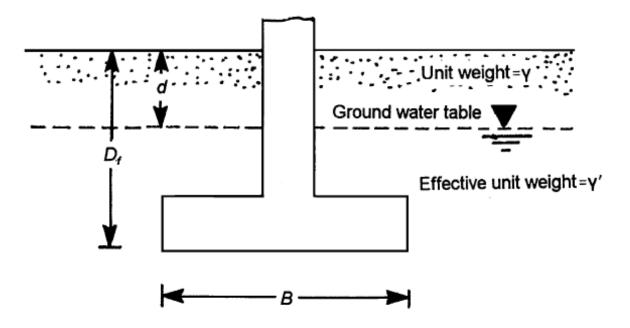


FIGURE 2.22 Effect of ground water table on ultimate bearing capacity

#### MEYERHOF'S BEARING CAPACITY THEORY

$$q_u = cN_c + qN_q + \frac{1}{2}\gamma BN_{\gamma}$$

where  $N_c$ ,  $N_q$ , and  $N_{\gamma}$  = bearing capacity factors B = width of the foundation

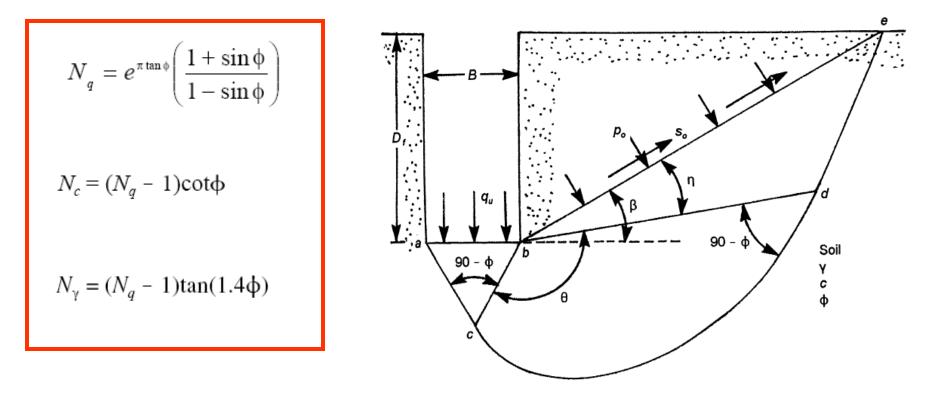


FIGURE 2.7 Slip line fields for a rough continuous foundation

φ	$N_c$	$N_q$	$N_{\gamma}$	ф	$N_c$	$N_q$	$N_{\gamma}$	φ	$N_c$	$N_q$	$N_{_{\rm Y}}$
0	5.14	1 00	0.00	17	12.34	4.77	1.66	34	42.16	29.44	31.15
1	5.38	1.09	0.002	18	13.10	5.26	2.00	35	46.12	33.30	37.15
2	5.63	1.20	0.01	19	13.93	5.80	2.40	36	50.59	37.75	44.43
3	5.90	1.31	0.02	20	14.83	6.40	2.87	37	55.63	42.92	53.27
4	6.19	1.43	0.04	21	15.82	7.07	3.42	38	61.35	48.93	64.07
5	6.49	1.57	0.07	22	16.88	7.82	4.07	39	67.87	55.96	77.33
6	6.81	1.72	0.11	23	18.05	8.66	4.82	40	75.31	64.20	93.69
7	7.16	1.88	0.15	24	19.32	9.60	5.72	41	83.86	73.90	113.99
8	7.53	2.06	0.21	25	20.72	10.66	6.77	42	93.71	85.38	139.32
9	7.92	2.25	0.28	26	22.25	11.85	8.00	43	105.11	99.02	171.14
10	8.35	2.47	0.37	27	23.94	13.20	9.46	44	118.37	115.31	211.41
11	8.80	2.71	0.47	28	25.80	14.72	11.19	45	133.88	134.88	262.74
12	9.28	2.97	0.60	29	27.86	16.44	13.24	46	152.10	158.51	328.73
13	9.81	3.26	0.74	30	30.14	18.40	15.67	47	173.64	187.21	414.32
14	10.37	3.59	0.92	31	32.67	20.63	18.56	48	199.26	222.31	526.44
15	10.98	3.94	1.13	32	35.49	23.18	22.02	49	229.93	265.51	674.91
16	11.63	4.34	1.38	33	38.64	26.09	26.17	50	266.89	319.07	873.84

**TABLE 2.3** Variation of Meyerhof's Bearing Capacity Factors  $N_e$ ,  $N_g$ , and  $N_{\gamma}$ <br/>[Eqs. (2.66), (2.67), and (2.72)]

### **2- GENERAL BEARING CAPACITY EQUATION**

$$q_{u} = cN_{c}\lambda_{cs}\lambda_{cd} + qN_{q}\lambda_{qs}\lambda_{qd} + \frac{1}{2}\gamma BN_{\gamma}\lambda_{\gamma s}\lambda_{\gamma d}$$

where  $\lambda_{cs}$ ,  $\lambda_{qs}$ ,  $\lambda_{\gamma s}$  = shape factors  $\lambda_{cd}$ ,  $\lambda_{qd}$ ,  $\lambda_{\gamma d}$  = depth factors

Factor	Relationship	Reference	]
Shape	For $\phi = 0^{\circ}$ : $\lambda_{cs} = 1 + 0.2 \left(\frac{B}{L}\right)$ $\lambda_{qs} = 1$ $\lambda_{qs} = 1$ For $\phi \ge 10^{\circ}$ : $\lambda_{cs} = 1 + 0.2 \left(\frac{B}{L}\right) \tan^2 \left(45 + \frac{\phi}{2}\right)$ $\lambda_{qs} = \lambda_{qs} = 1 + 0.1 \left(\frac{B}{L}\right) \tan^2 \left(45 + \frac{\phi}{2}\right)$	Meyerhof [8]	FactorRelationshipReferenceFor $D_f/B \le 1$ : $\lambda_{cd} = 1 + 0.4 \left( \frac{D_f}{B} \right)$ Hansen [9] $\lambda_{qd} = 1 + 2 \tan \phi (1 - \sin \phi)^2 \left( \frac{D_f}{B} \right)$
	$\begin{split} \lambda_{cr} &= 1 + \left(\frac{N_q}{N_c}\right) \left(\frac{B}{L}\right) \\ &[Note: \text{ Use Eq. (2.67) for } N_c \text{ and Eq. (2.66) for } N_q \text{ as given in } \\ &\text{Table 2.3]} \\ \lambda_{qr} &= 1 + \left(\frac{B}{L}\right) \tan \phi \\ \lambda_{qr} &= 1 - 0.4 \left(\frac{B}{L}\right) \end{split}$	DeBeer [19]	$\lambda_{\gamma e^{i}} = 1$ For $D_{f}/B > 1$ : $\lambda_{e^{i}} = 1 + 0.4 \tan^{-1} \left( \frac{D_{f}}{B} \right)$ $\lambda_{e^{i}} = 1 + 2 \tan \phi (1 - \sin \phi)^{2} \tan^{-1} \left( \frac{D_{f}}{B} \right)$ $\lambda_{\gamma e^{i}} = 1$ $\left[ \text{Note:} \tan^{4} \left( \frac{D_{f}}{B} \right) \text{ is in radians} \right]$
Depth	For $\phi = 0^{\circ}$ : $\lambda_{cd} = 1 + 0.2 \left( \frac{D_f}{B} \right)$ $\lambda_{qd} = \lambda_{qd} = 1$ For $\phi \ge 10^{\circ}$ : $\lambda_{cd} = 1 + 0.2 \left( \frac{D_f}{B} \right) \tan \left( 45 + \frac{\phi}{2} \right)$ $\lambda_{qd} = \lambda_{qd} = 1 + 0.1 \left( \frac{D_f}{B} \right) \tan \left( 45 + \frac{\phi}{2} \right)$	Meyerhof [8]	
Factor	Relationship	Reference	]

TABLE 2.5 Summary of Shape and Depth Factors

#### ULTIMATE BEARING CAPACITY UNDER INCLINED AND ECCENTRIC LOADS

$$q_{u} = cN_{c}\lambda_{cs}\lambda_{cd}\lambda_{ci} + qN_{q}\lambda_{qs}\lambda_{qd}\lambda_{qi} + \frac{1}{2}\gamma BN_{\gamma}\lambda_{\gamma s}\lambda_{\gamma d}\lambda_{\gamma i}$$

where  $N_c\,,N_q\,,N_{\rm y}\!=\!{\rm bearing\ capacity\ factors}$ 

 $\begin{array}{l} \lambda_{cs}, \lambda_{qs}, \lambda_{\gamma s} = \mathrm{shape\ factors} \\ \lambda_{cd}, \lambda_{qd}, \lambda_{\gamma d} = \mathrm{depth\ factors} \\ \lambda_{ci}, \lambda_{qi}, \lambda_{\gamma i} = \mathrm{inclination\ factors} \end{array}$ 

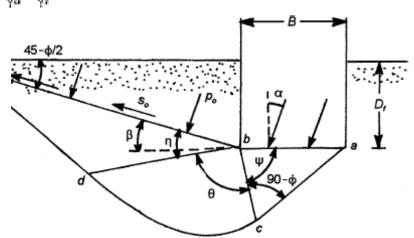


FIGURE 3.1 Plastic zones in soil near a foundation with inclined load

Meyerhof [4] provided the following inclination factor relationships

$$\lambda_{ci} = \lambda_{qi} = \left(1 - \frac{\alpha^{\circ}}{90^{\circ}}\right)^2$$
(3.14)

$$\lambda_{\gamma i} = \left(1 - \frac{\alpha^{\circ}}{\phi^{\circ}}\right)^2 \tag{3.15}$$

Hansen [5] also suggested the following relationships for inclination factors

$$\lambda_{qi} = \left(1 - \frac{0.5Q_u \sin\alpha}{Q_u \cos\alpha + BLc \cot\phi}\right)^3$$
(3.16)

$$\lambda_{ci} = \lambda_{qi} - \left(\frac{1 - \lambda_{qi}}{N_q - 1}\right)$$

$$\uparrow$$
(3.17)

Table 2.3

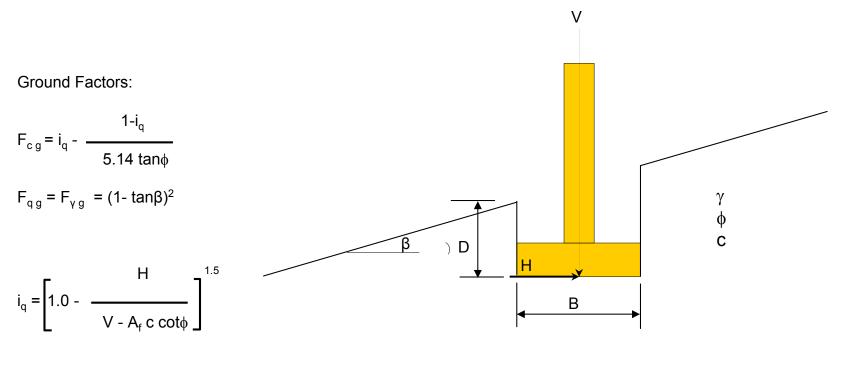
$$\lambda_{\gamma i} = \left(1 - \frac{0.7Q_u \sin\alpha}{Q_u \cos\alpha + BLc \cot\phi}\right)^5$$
(3.18)

where, in Eqs. (3.14) to (3.18)

 $\alpha$  = inclination of the load on the foundation with the vertical

 $Q_{\mu}$  = ultimate load on the foundation =  $q_{\mu}BL$ 

- B = width of the foundation
- L =length of the foundation



 $A_f$  = Area of the foundation V = Vertical Load H = Horizontal load c = cohesion