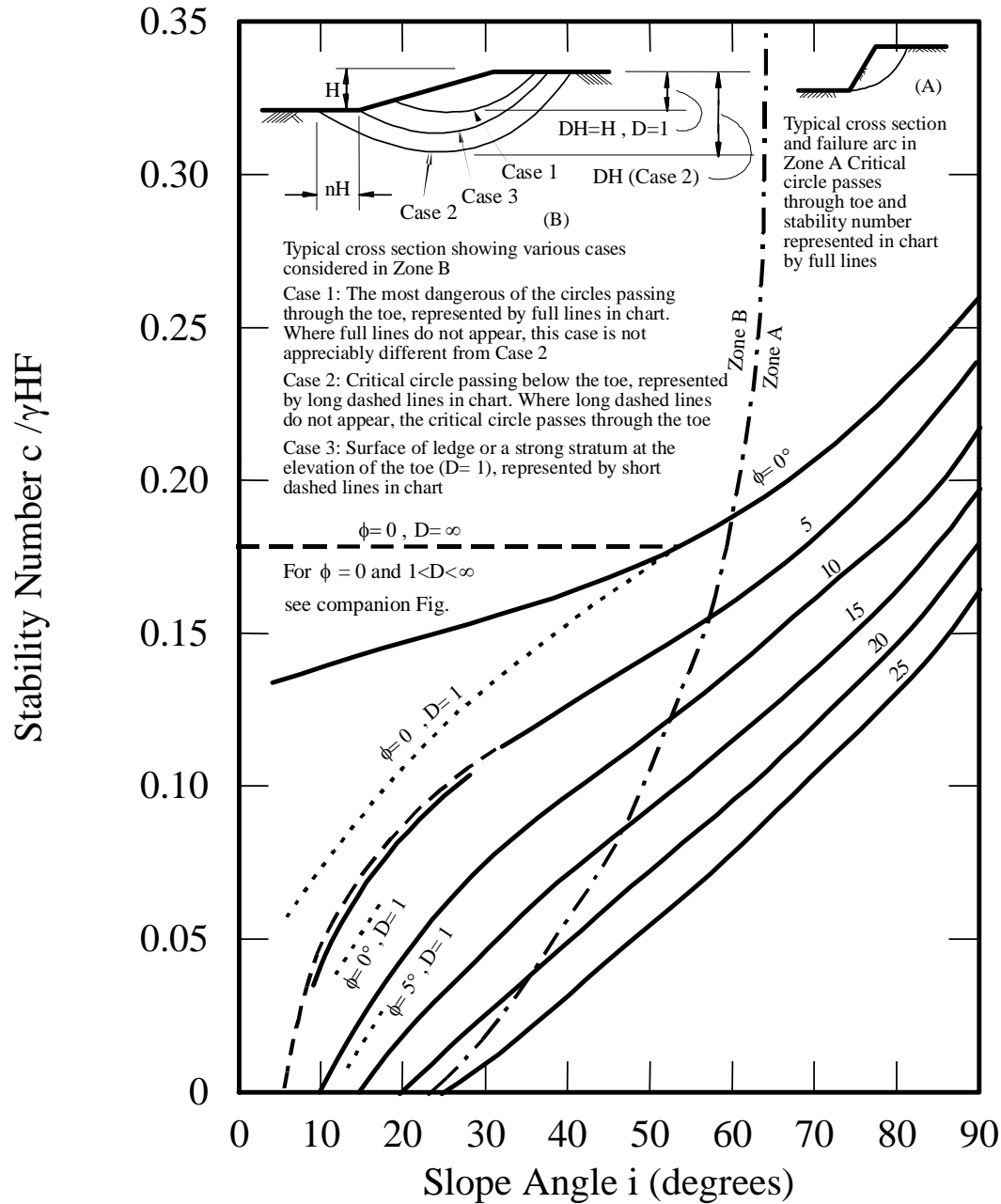


Stability Number

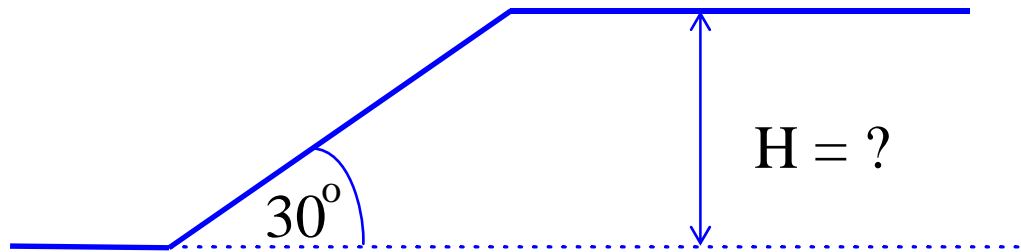
- A variety of charted solutions exist for the simple geometry considered above.
- For the undrained (total stress) analysis of slopes charts produced by Taylor are often used.
- The charts are based on the analysis of circular failure surfaces, and assume that soil strength is given by a Mohr-Coulomb analysis
- Tension cracks are not considered

Taylor's Chart



Taylor's Chart

Example - 1



$$c_u = 20 \text{ kN/m}^2$$

$$\phi_u = 10^\circ$$

$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

$$\text{F.S.} = 1.5$$

Since the factor of safety is given, then the problem indicates a design of a new slope

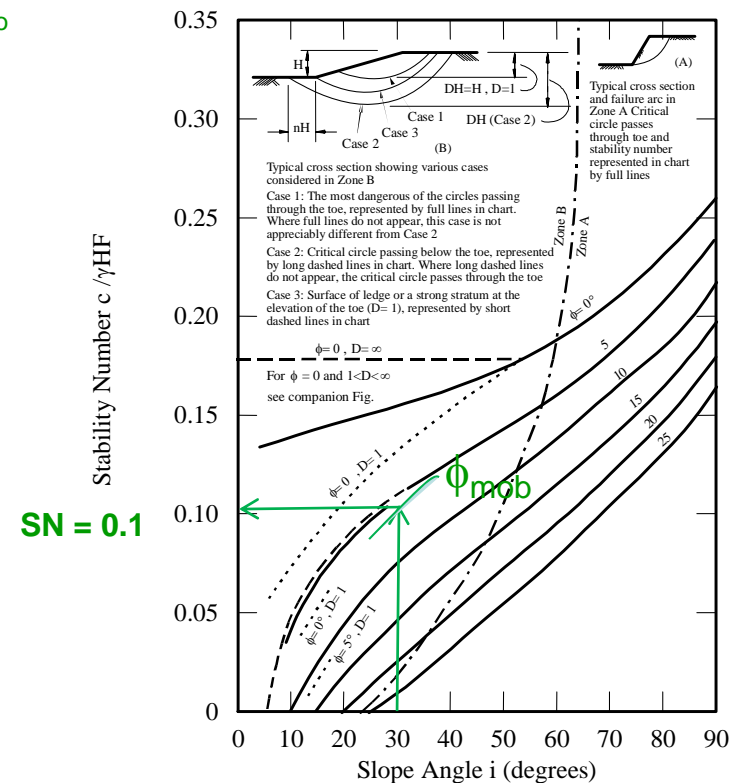
Solution:

Use the chart with $i = 30^\circ$, and $\phi_{\text{mob}} = \tan^{-1} \left(\frac{\tan 10^\circ}{1.5} \right) = 6.7^\circ$

$$\text{SN} = 0.1 = \frac{20/1.5}{15 \times H_{\text{design}}}$$

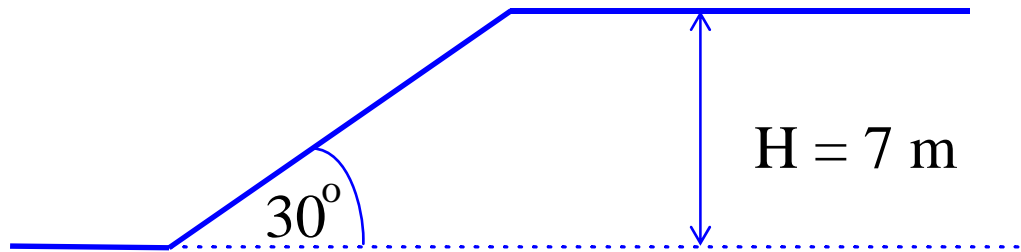
$$H_{\text{design}} = \frac{20/1.5}{15 \times 0.1} = 8.88 \text{ m}$$

$$\phi_{\text{mobilized}} = \phi_{\text{developed}}$$



Taylor's Chart

Example - 2



$$c_u = 20 \text{ kN/m}^2$$

$$\phi_u = 10^\circ$$

$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

$$\text{F.S.} = \text{????}$$

Since the factor of safety is not given, then the problem indicates an existing slope which we need to analyze it for its stability.

Solution:

Trial # 1

1- Assume $FS_\phi = 1$

2- Use the chart with $i = 30^\circ$, and $\phi_{\text{mob}} = \tan^{-1} \left(\frac{\tan 10^\circ}{1.0} \right) = 10^\circ$

3- Go to the chart and find SN for $\phi_{\text{mob}} = 10^\circ$

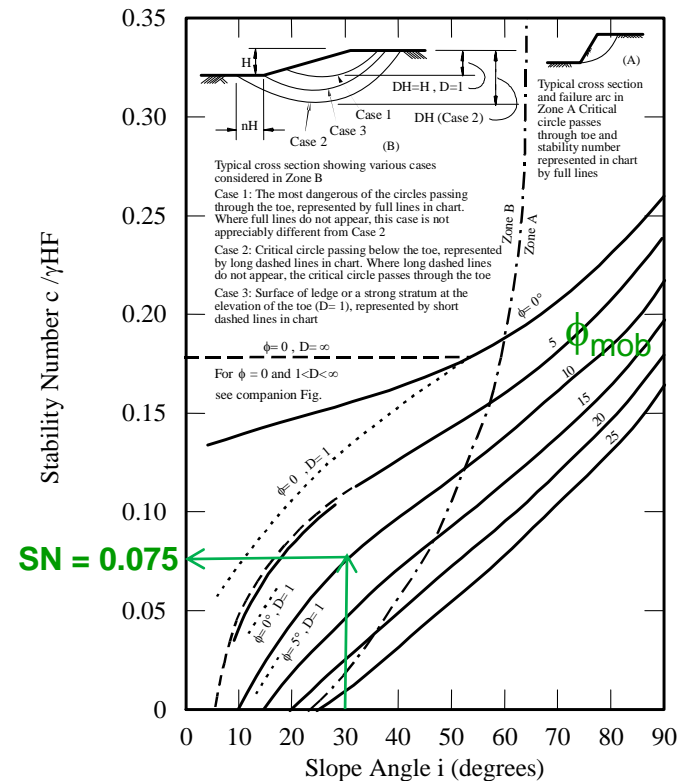
$$SN = 0.075 = \frac{c_{\text{mob}}}{15 \times 7}$$

4- $c_{\text{mob}} = 15 \times 7 \times 0.075 = 7.87 \text{ kN/m}^2$

5- $FSc = c / c_{\text{mob}} = 20 / 7.87 = 2.5$

Therefore the Assumed $FS_\phi \neq$ the calculated FS_c

$$\phi_{\text{mobilized}} = \phi_{\text{developed}}$$



This means the assumed factor of safety was not the right one. So we need to assume another FS_{ϕ} and solve the problem again for FS_c .

Trial # 2

1- Assume $FS_{\phi} = 1.5$

2- Use the chart with $i = 30^{\circ}$, and $\phi_{mob} = \tan^{-1} \left(\frac{\tan 10^{\circ}}{1.5} \right) = 6.7^{\circ}$

3- Go to the chart and find SN for $\phi_{mob} = 6.7^{\circ}$

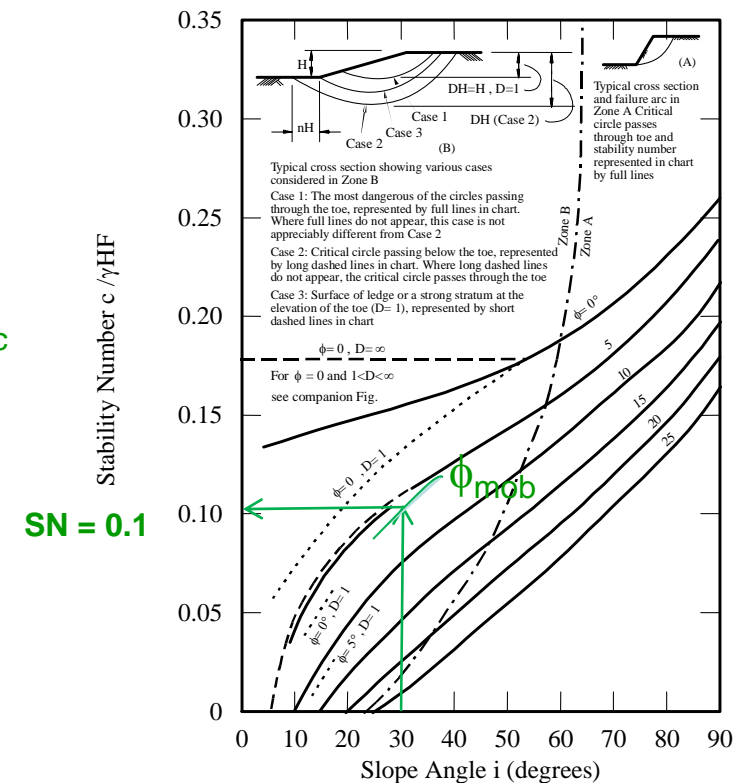
$$SN = 0.1 = \frac{c_{mob}}{15 \times 7}$$

4- $c_{mob} = 15 \times 7 \times 0.10 = 10.5 \text{ kN/m}^2$

5- $FS_c = c / c_{mob} = 20 / 10.5 = 1.9$

Therefore the Assumed $FS_{\phi} \neq$ the calculated FS_c

This means the assumed factor of safety was not the right one. So we need to assume another FS_{ϕ} and solve the problem again for FS_c .



Trial # 3

1- Assume $FS_{\phi} = 1.8$

2- Use the chart with $i = 30^{\circ}$, and $\phi_{mob} = \tan^{-1} \left(\frac{\tan 10^{\circ}}{1.8} \right) = 5.5^{\circ}$

3- Go to the chart and find SN for $\phi_{mob} = 5.5^{\circ}$

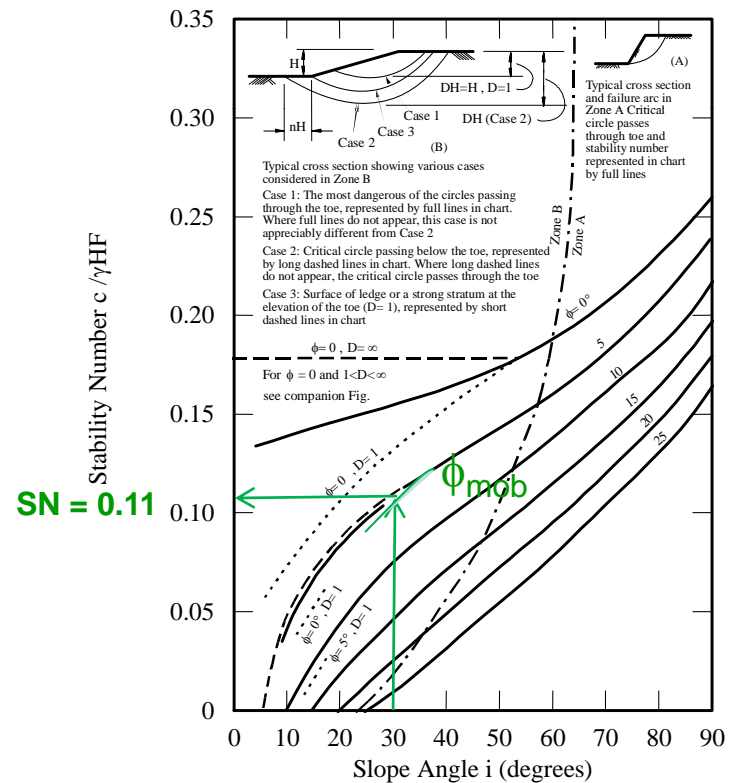
$$SN = 0.11 = \frac{C_{mob}}{15 \times 7}$$

4- $C_{mob} = 15 \times 7 \times 0.11 = 11.55 \text{ kN/m}^2$

5- $FS_c = c / C_{mob} = 20 / 11.55 = 1.73$

Therefore the Assumed $FS_{\phi} \neq$ the calculated FS_c

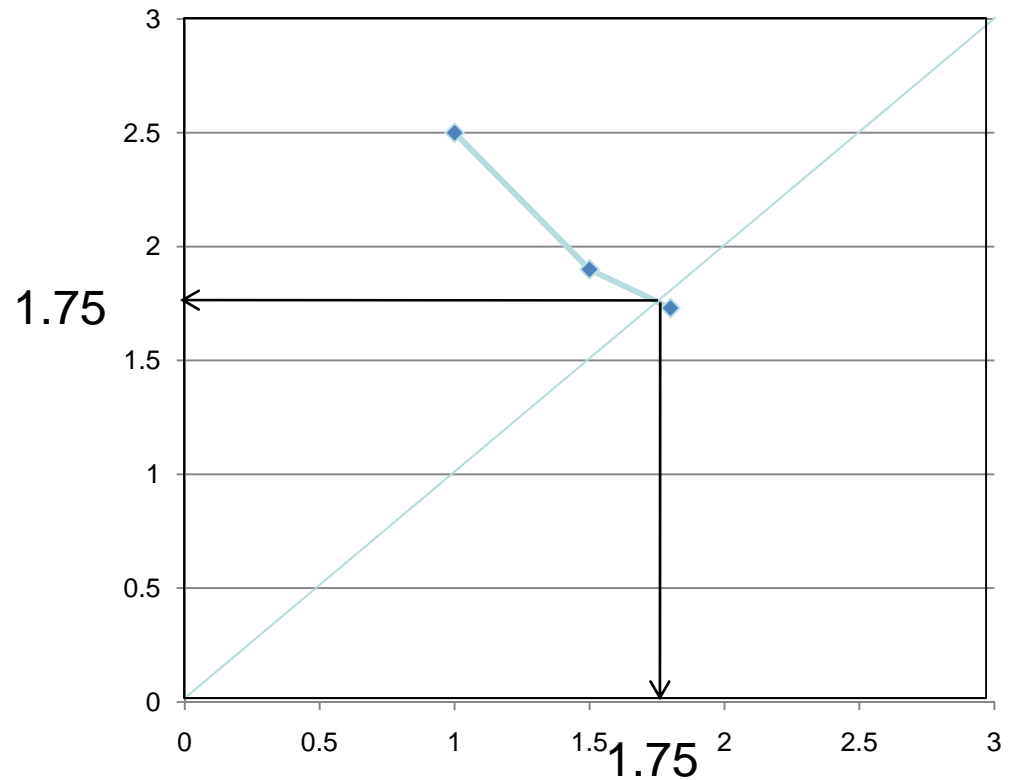
This means the assumed factor of safety was not the right one. So we need to assume another FS_{ϕ} and solve the problem again for FS_c .



Since we compiled three different trials, we are ready to find the right factor of safety by using the 45° line method

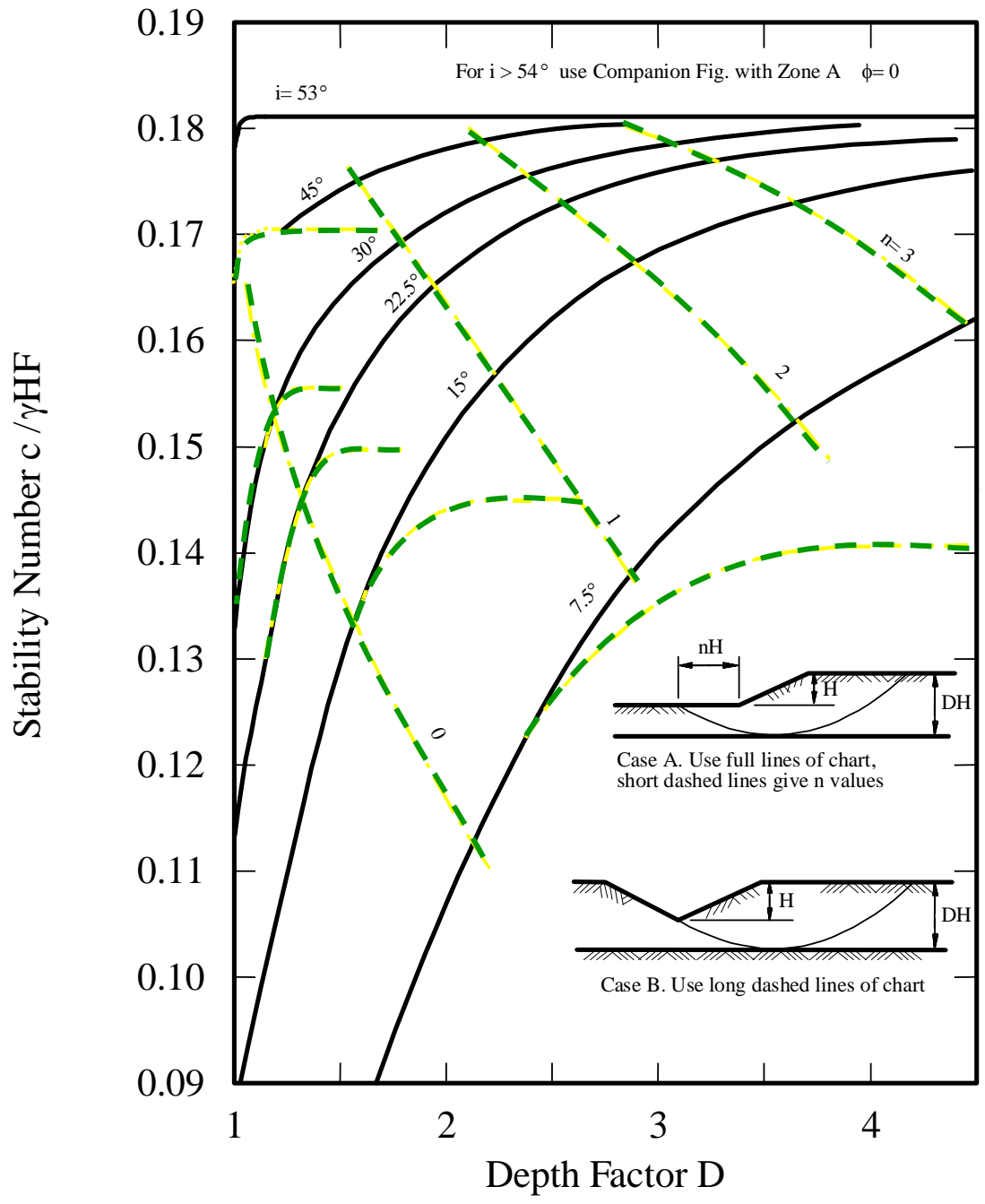
<u>Assumed FS_φ</u>	<u>Calculated FS_c</u>
1.0	2.5
1.5	1.9
1.8	1.73

So the correct FS is 1.75

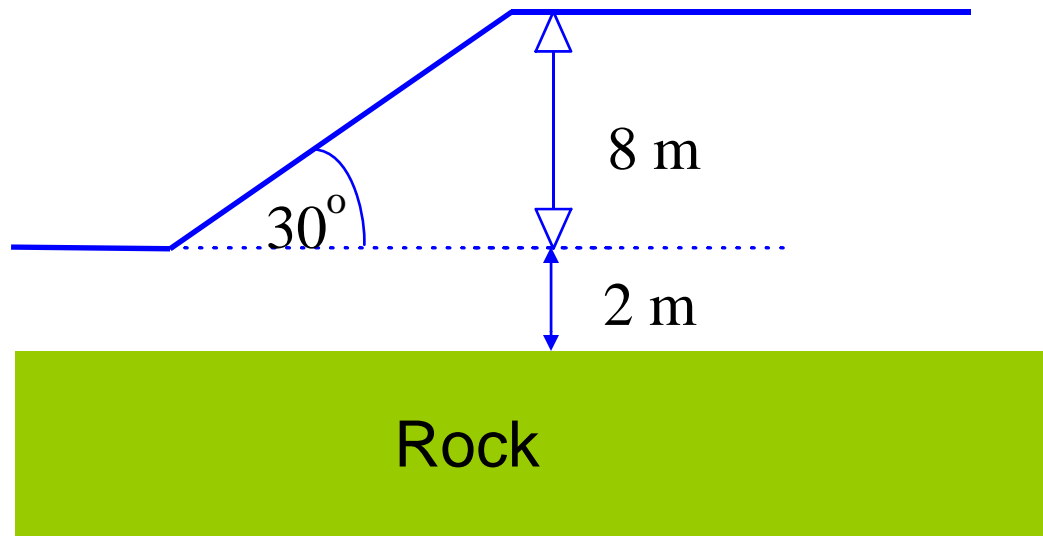


Taylor's Chart - example

- Zones are marked on the chart indicating whether the failure mode will be shallow or deep-seated.
- If a deep-seated failure is indicated the soil layer must be sufficiently deep to enable this mechanism to occur.
- There is a second chart due to Taylor which can be used when the depth of soil below the base of the slope is limited
- This chart is only valid for $\phi = 0$



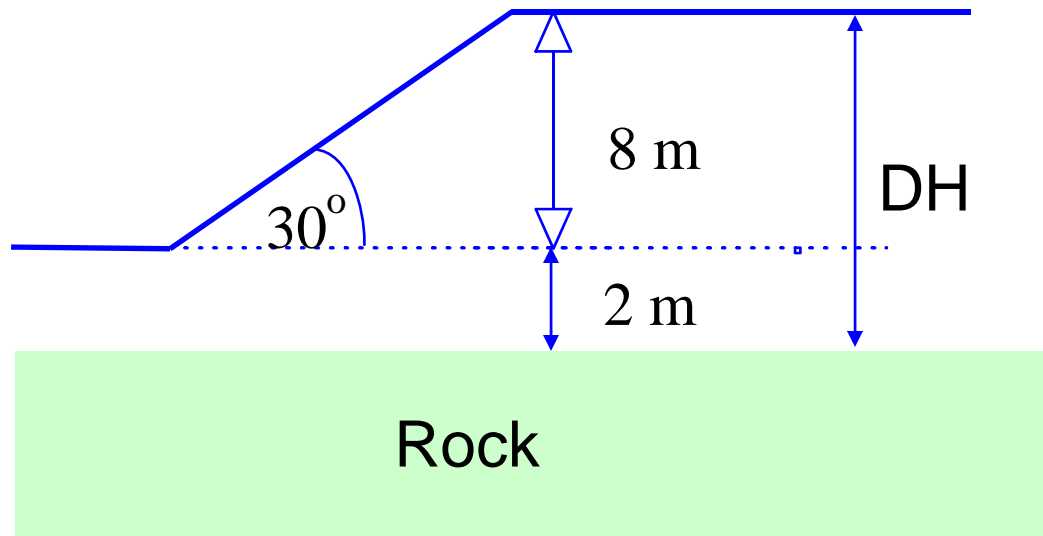
Taylor's Chart - example with finite depth



$$c_u = 20 \text{ kN/m}^2$$
$$\phi_u = 0$$
$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

Calculate the Depth Factor D

Taylor's Chart - example with finite depth

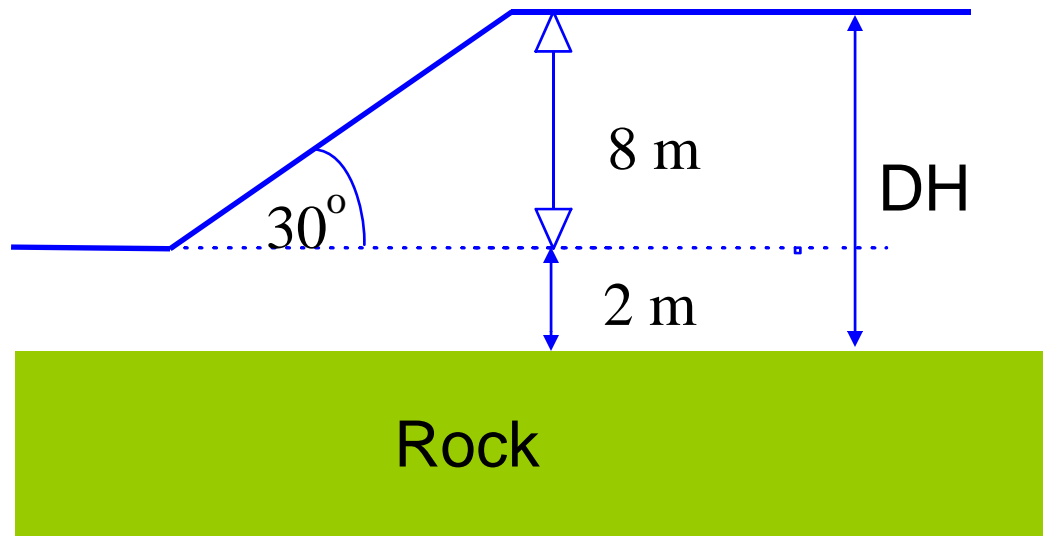


$$c_u = 20 \text{ kN/m}^2$$
$$\phi_u = 0$$
$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

Calculate the Depth Factor D

$$DH = 10 \text{ m}$$

Taylor's Chart - example with finite depth

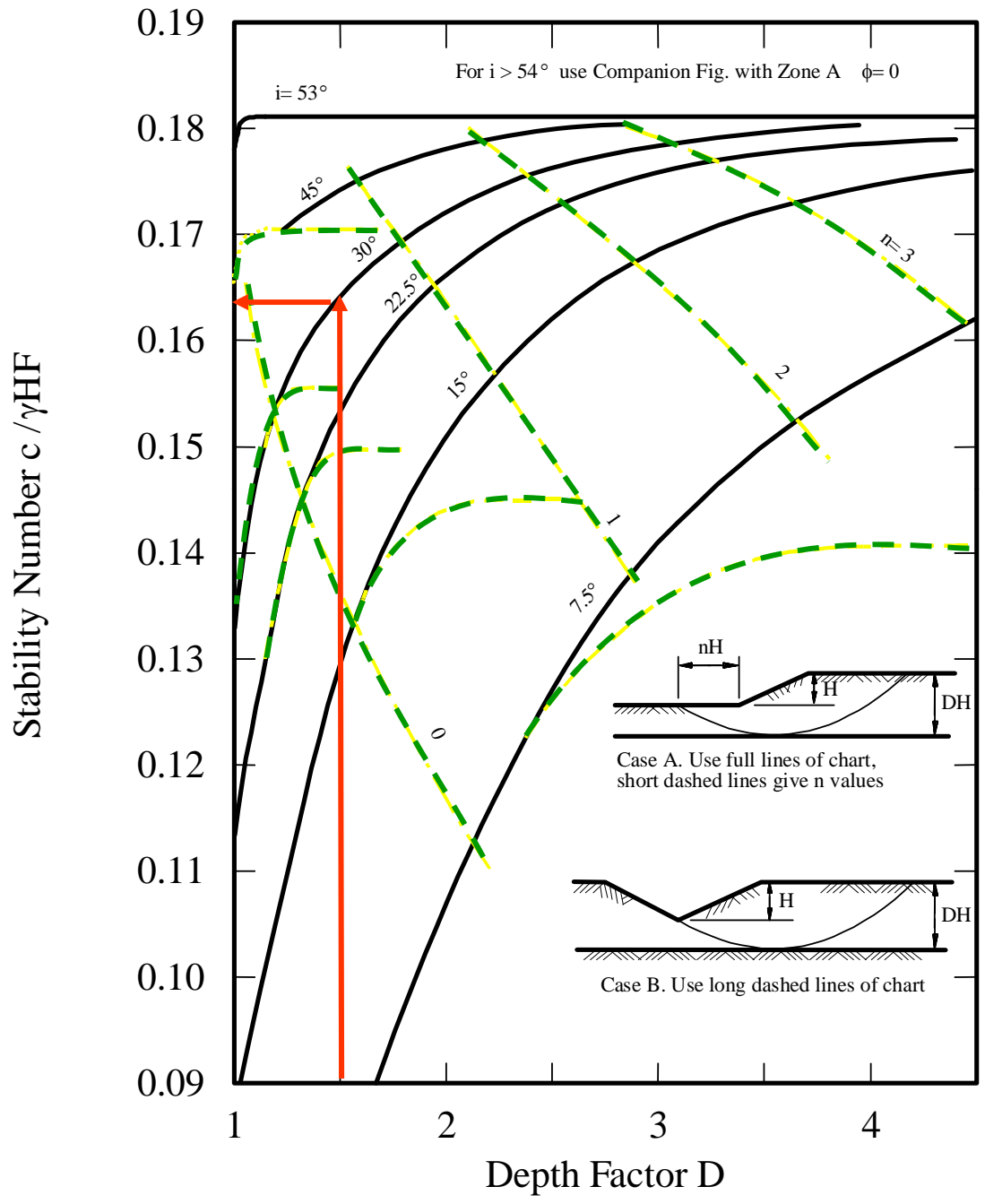


$$c_u = 20 \text{ kN/m}^2$$
$$\phi_u = 0$$
$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

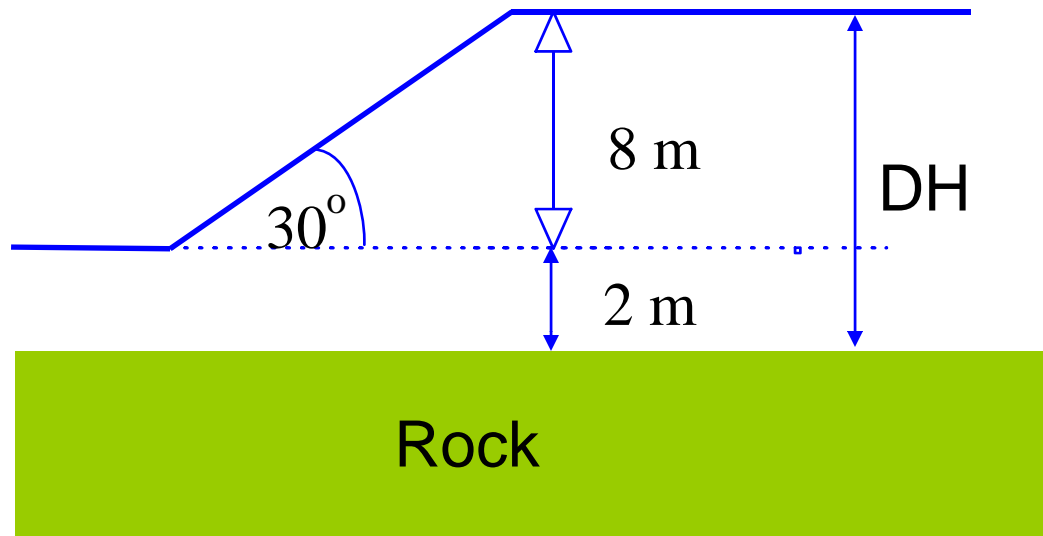
Calculate the Depth Factor D

$$DH = 10 \text{ m}, H = 8 \text{ m}$$

$$D = 1.25$$



Taylor's Chart - example with finite depth



$$c_u = 20 \text{ kN/m}^2$$
$$\phi_u = 0$$
$$\gamma_{\text{bulk}} = 15 \text{ kN/m}^3$$

$$D = 1.25$$

$$\frac{C_{dev}}{\gamma H} = \frac{C_{dev}}{15 \times 8} = 0.165$$

$$C_{dev} = 0.165 \times 15 \times 8 = 19.8 \text{ kN/m}^2$$

$$FS = 1.01$$