Review of Basic Principles in Open Channel Flow

1. Uniform flow (or normal flow). (page 440), and Manning equation

Manning equation (SI unit, Q in cubic meter per second): $Q = \frac{1}{n} A R_h^{2/3} S^{1/2}$

Manning equation (English unit, Q in cfs) $Q = \frac{1.49}{n} A R_h^{2/3} S^{1/2}$

Hydraulic radius: $R_h=A/P$, where A is the cross-section area, P is wetted perimeter.

Types of problems:

1.1 Determine wetted parameter (P) and hydraulic radius (\mathbf{R}_{h}) for the following cross sections.



- **1.2:** Determine velocity and flowrate when other data are given.
- 1.3. Determine normal depth (the depth in Manning equation) when all other data are given.(When you are asked to determine the super critical flow/subcritical flow, you need to find normal depth from Manning equation to compare with the critical depth)
- 2. Specific Energy (page 677): $E_s = y + \frac{v^2}{2g}$.
- 3. Critical depth, subpercritical flow, subcritical flow. Critical depth occurs at minimum specific energy





How to find critical depth:

3.1: General equation for critical depth (pg 679, eq 15.8):
$$\frac{Q^2 T_c}{g A_c^3} = 1$$

3.2. For rectangular cross-section, critical depth can be determined from Eq 15.13:

$$y_c = (\frac{q^2}{g})^{1/3}$$
, where $q = Q/B$

3.3. If yn > yc, flow is subcritical.If yn=yc, flow is critical.If yn<yc, flow is supercritical flow.

4. Hydraulic Jump:

Hydraulic jump occurs only when flow changes from *supercritical* to *subcritical* flow. What you need to know:

4.1: Water depth before and after the hydraulic jump (pg 692, eq 15.27 or 15.28)

$$y_2 = \frac{y_1}{2}(\sqrt{1 + 8Fr_1^2} - 1)$$

$$y_1 = \frac{y_2}{2}(\sqrt{1 + 8Fr_2^2} - 1)$$

4.2. Head loss in hydraulic Jump:
$$h_L = \frac{(y^2 - y^1)^3}{4y_1y_2}$$